

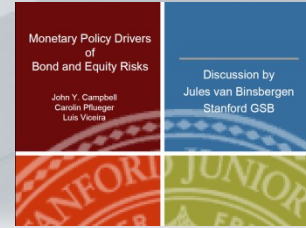
Monetary Policy Drivers
of
Bond and Equity Risks

Discussion by

John Campbell
Carolyn Pflueger
Luis Viceira

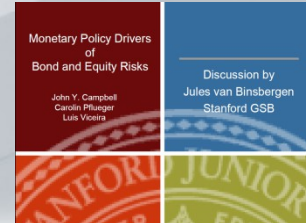
Jules van Binsbergen
Stanford GSB

Big Picture



- What drives bond and stock prices?
- Neo-Keynesian model with four shocks:
 - preference shock
 - monetary policy shock
 - Philips curve shock
 - Trend inflation shock
- Three different sub periods with three different monetary policy regimes
 - Different focus on inflation versus output gap.
Note: separate estimation of the model for three periods, so there are no expectations on (probability of) regime switches. Learning?
- Eventual goal: explain different levels of CAPM betas for bonds across different periods. What about other asset pricing facts?

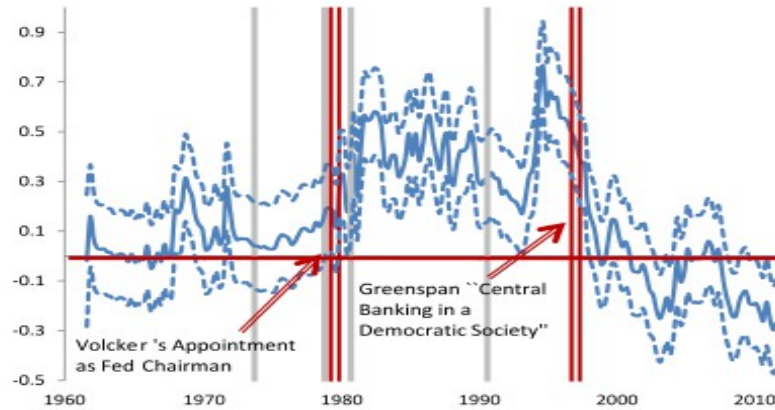
Big Picture



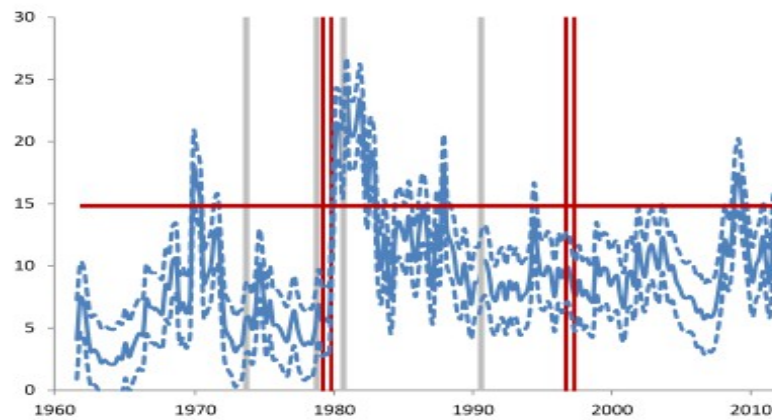
- Important questions
- What is the role of bonds under different monetary policy regimes
- when are they hedges against stock market risk?
- In recent financial crisis bonds increased in value (negative beta).
- Generally zero beta, with positive values in 80s/90s and negative in crisis.
- Authors present a nice and parsimonious framework, but can do more with this than they currently do.
- Main focus is on matching betas and volatilities.

CAPM beta of bonds

Panel A: CAPM Beta of 10 YR Nominal Bond



Panel B: Std. of 10 YR Nominal Bond Returns (% Ann.)



Four Equations

IS curve

$$x_t = \rho^{x^-} x_{t-1} + \rho^{x^+} E_{t-} x_{t+1} - \psi(E_{t-} i_t - E_{t-} \pi_{t+1}) + u_t^{IS},$$

Price setting

$$\pi_t = \rho^\pi \pi_{t-1} + (1 - \rho^\pi) E_{t-} \pi_{t+1} + \lambda x_t + u_t^{PC},$$

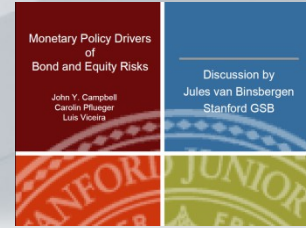
Central Bank

$$i_t = \rho^i (i_{t-1} - \pi_{t-1}^*) + (1 - \rho^i) [\gamma^x x_t + \gamma^\pi (\pi_t - \pi_t^*)] + \pi_t^* + u_t^{MP},$$

Trend Inflation

$$\pi_t^* = \pi_{t-1}^* + u_t^*.$$

IS curve



Derived from two equations:

1. “Habit formation” preference
2. Euler equation for 1-period T-bill

What role does “habit formation” play in the paper?

Consumption surplus ratio $S = (C - H)/C$

Letting lower case letters denote logs, then $s + c = \ln(C-H)$

The authors model $s + c$ as a linear function of the log output gap (x) and lagged output gap (stationary):

$$s_t + c_t = x_t - \theta x_{t-1} - v_t,$$

Detrended consumption closely related to output gap.

Habit Formation Motivation



Habit formation specification does not seem to add to time variation in risk premia, because the $\log(C-H)$ is modeled as a linear function of x .

Even though detrended consumption is closely related to output gap, the difference specification in x (logs), implies that SDF is related to the ratio of X and $X(-1)$.

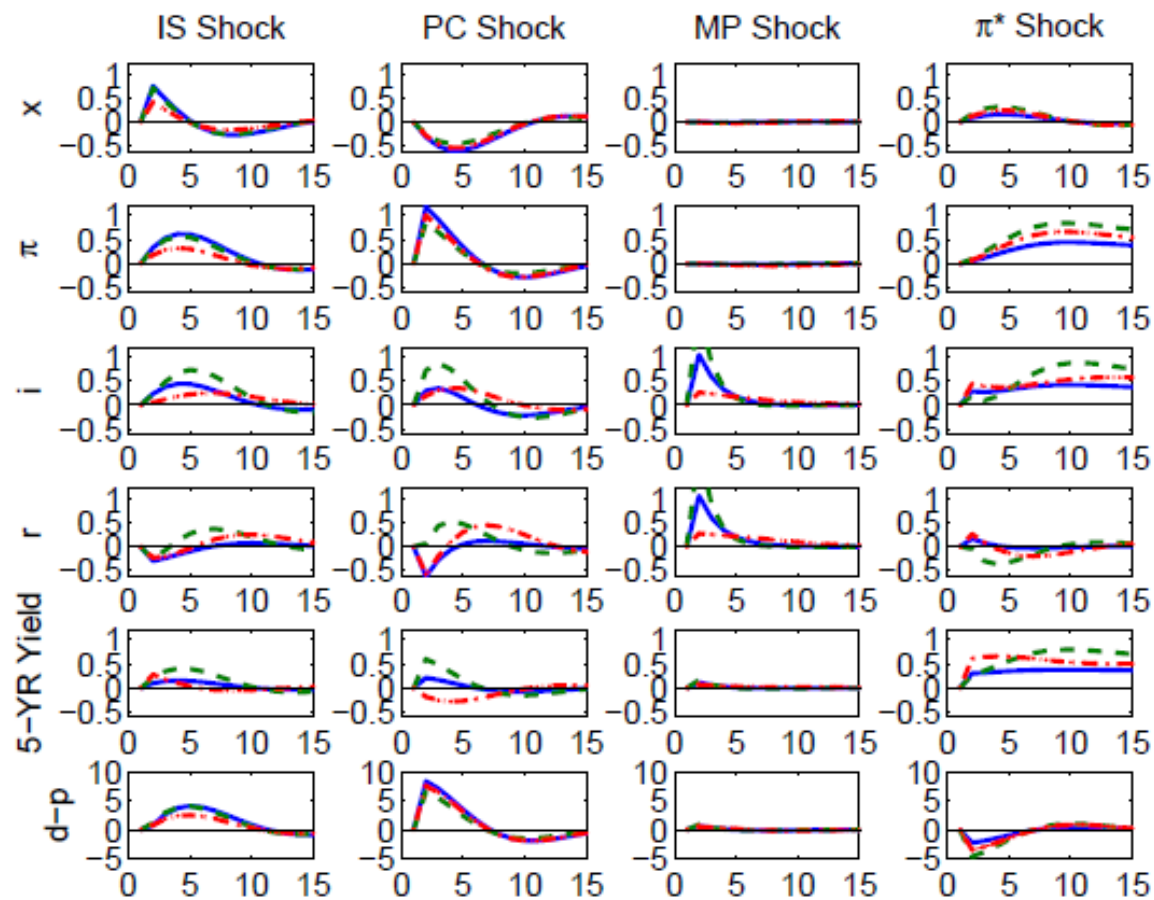
To get time varying volatility, authors add stochastic volatility to all shocks, by multiplying the variance of all shocks by $\exp(-bx(-1))$, or more precisely, the log-linearized version of this: $1 - b x(-1)$.

Main Insights

1960.Q1-1979.Q2

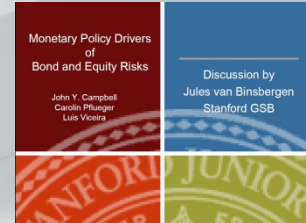
1979.Q3-1996.Q4

1997.Q1-2011.Q4



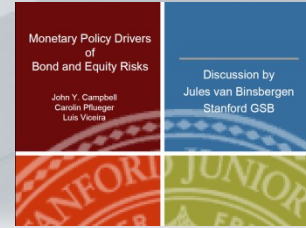
Statistically significantly different?

Some Comments



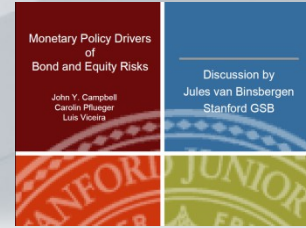
- Why are monetary policy shocks not contemporaneously taken into account? Empirically, bond markets react quickly to monetary policy announcements.
- Identifying assumption is that all shocks are uncorrelated, but do share same factor driving time varying volatility. Less degrees of freedom, but question is interpretation (variance decomposition?).

Wish List



- Usual pricing equations. How well does this SDF do?
- Bond return predictability (habit or SV?). Frequency of bond risk premium variation seems higher than stocks.
- Dividend strips
- Trend growth versus temporary deviations

Conclusion



- Important topic. Nice paper. Different monetary regimes can lead to different bond betas.
- Why just focus on bond betas and bond vols? Model allows you to focus on broad set of moments: risk premia, stock vols, etc.
- Which of your shocks predominantly drive stock and bond prices?