# Virtual Seminar on Climate Economics

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## The Macroeconomics of Clean Energy Subsidies

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Virtual Seminar on Climate Economics November 2023



Bob Kopp @bobkopp

Environmental economists should probably take a moment of humble reflection to ask whether the discipline's focus on first-best carbon pricing mechanisms contributed to how long it has taken to get US climate legislation

8:17 PM · Aug 7, 2022

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This paper: policymakers can only affect the price of clean energy

Use macro climate-economy model to:

- Characterize constrained-efficient subsidy
  - When do clean energy subsidies decrease emissions and improve welfare?
- Quantify impact of Inflation Reduction Act (IRA)
  - Emissions & welfare relative to no policy?
  - 'Impacts of IRA' for short
- Quantify constrained-efficient subsidy
  - Emissions & welfare relative to no policy?
  - Emissions & welfare relative to dirty energy tax?

Macro models suggest limited effectiveness of clean energy subsidies

- Constrained-efficient subsidy = indirect externality
  - ► Indirect externality = (impact of clean on dirty) × (MC<sub>ext</sub> of dirty)
  - $\blacktriangleright$  Subsidies  $\downarrow$  emissions  $\iff$  clean and dirty energy gross substitutes
  - Substitutability not relevant for Pigouvian tax
- Small impacts of subsidies in IRA
- Solution Carbon tax yields order of magnitude ↓ emissions and ↑ welfare relative to constrained-efficient subsidy

### Related literature and contribution

MACRO CLIMATE MODELS: Nordhaus and Boyer (2003), Nordhaus and Barrage (2023), Golosov et al (2014), Hassler et al (2016, 2018), Traeger (forthcoming)

• Contribution: Clean energy subsidies

SECOND-BEST IN STATIC/CGE MODELS: Palmer and Burtaw (2005), Fullerton and Wolverton (2005), Bennear and Stavins (2007), Goulder and Parry (2008), Holland et al (2009, 2012), Kalhul et al., (2013), Newell et al (2019).

• Contribution: Characterize best subsidy, quantification in dynamic model

MACRO & SECOND-BEST: Rezai and van der Ploeg (2017), Hassler et al (2020, 2021), Bistline et al (forthcoming)

• Contribution: Characterize best subsidy, quantify IRA & best subsidy



#### 1 General characterization in simple model

#### 2 Functional forms in simple model

## 3 Dynamic model

## 4 Conclusion

## Study a (really) simple model to get intuition

- Gross output:  $q = f(l, e_d, e_c)$ 
  - ▶ labor (l), dirty energy  $(e_d)$ , clean energy  $(e_c)$
  - CRS, Inada conditions
  - $f_j > 0$  and  $f_{jj} < 0$ , j = l, c, d
  - Price normalized to one
- Inelastic labor supply: l = 1
- Energy extracted from environment using final good
  - Real extraction costs: p<sub>d</sub>, p<sub>c</sub>
- Final output:  $y = f(l, e_d, e_c) p_c e_c p_d e_d$
- Utility:  $U = u(y) me_d$
- Policy: Can tax or subsidize  $e_c$  ( $\tau_c > 0$  is a tax)

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Firm solves:

$$\max_{l, e_d, e_c} f(l, e_d, e_c) - p_d e_d - (p_c + \tau_c) e_c - wl,$$

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$$f_d(1, e_d, e_c) = p_d$$
  
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Key result:

$$\frac{de_d}{de_c} = \frac{f_{cd}}{-f_{dd}} \equiv D'(e_c)$$

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$$\frac{de_d}{de_c} > 0 \iff f_{cd} > 0$$

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Equivalently,

$$\max_{e_c} u(f(1, D(e_c), e_c) - p_d D(e_c) - p_c e_c) - m D(e_c).$$

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First order condition:

$$\underbrace{f_c(1, e_c^*, D(e_c^*)) - p_c}_{\frac{\partial y}{\partial e_c}} + \underbrace{(f_d(1, e_c^*, D(e_c^*)) - p_d)}_{\frac{\partial y}{\partial e_d}} \underbrace{D'(e_c^*)}_{\frac{de_d}{de_c}} = \underbrace{\frac{m}{u'(y)}}_{\mathsf{MC}_{\mathsf{ext}}} \underbrace{\frac{D'(e_c^*)}{\frac{de_d}{de_c}}}.$$

VSCE

Equivalently,

$$\max_{e_c} \ u(f(1, D(e_c), e_c) - p_d D(e_c) - p_c e_c) - m D(e_c).$$

Substitute from competitive equilibrium:

$$\underbrace{f_c(1, e_c^*, D(e_c^*)) - p_c}_{=\tau_c^*} + \underbrace{(f_d(1, e_c^*, D(e_c^*)) - p_d) D'(e_c^*)}_{=0} = \underbrace{\frac{m}{u'(y)} D'(e_c^*)}_{\text{indirect externality}} = \underbrace{\frac{m}{u'(y)} D'(e_c^*)}_{\text{indirect ext$$

#### Constrained-efficient subsidy

$$\tau_c^* = \frac{m}{u'(y)} \frac{de_d}{de_c} = \left(\frac{m}{u'(y)}\right) \left(\frac{f_{cd}}{-f_{dd}}\right)$$

#### So, $\tau_c^* > 0 \iff f_{cd} > 0$ .

- Clean energy subsidy/tax = indirect externality
- Best to tax clean energy when  $\frac{de_d}{de_c} > 0$
- Best to subsidize clean energy when  $\frac{de_d}{de_c} < 0$

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Note,  $f_{cd}$  wouldn't matter for optimal carbon tax.

$$\frac{dU}{d\tau_c}\frac{1}{u'(y)}\Big|_{\tau_c=0} = \frac{m}{u'(y)}\frac{de_d}{d\tau_c} = \frac{m}{u'(y)}\frac{de_d}{de_c}\frac{de_c}{d\tau_c} = \frac{m}{u'(y)}\frac{f_{cd}}{-f_{dd}}\frac{de_c}{d\tau_c}.$$

- The no-policy equilibrium maximizes y.
- But, it has too much dirty energy:  $\partial U/\partial e_d < 0$ .
- Envelope theorem: marginal  $\uparrow U \iff$  marginal  $\downarrow e_d$ .
- If  $f_{cd} > 0$ , then  $de_d/de_c > 0$  and a subsidy decreases welfare.

## Learning-by-doing (LBD) doesn't change intuition

- LBD common justification for clean energy subsidies
  - But, separate market failure
  - Separate instruments to implement optimal allocation
- LBD:  $\uparrow e_c \rightarrow \downarrow p_c$
- Maybe good for welfare (better tech), but not environment
- If  $f_{cd} > 0$ , still  $de_d/de_c > 0$ 
  - Clean subsidy still increases dirty energy use.
  - Impact of subsidy is now bigger, because stronger response of  $\frac{de_c}{d\tau_a}$

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- (Also, no need to raise revenue in this model.)



General characterization in simple model

#### 2 Functional forms in simple model

## 3 Dynamic model

## 4 Conclusion

$$\begin{aligned} q &= g(l, e) = l^{1-\nu} e^{\nu} \\ e &= h(e_d, e_c) = \left( \omega e_d^{\frac{\epsilon-1}{\epsilon}} + (1-\omega) e_c^{\frac{\epsilon-1}{\epsilon}} \right)^{\frac{\epsilon}{\epsilon-1}} \\ \Rightarrow q &= f(l, e_d, e_c) = g(l, h(e_d, e_c)). \end{aligned}$$

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Key parameters:

$$\begin{split} &\frac{\partial \ln \frac{e_d}{e_c}}{\partial \ln \frac{p_d}{p_c}} = -\epsilon \\ &\frac{\partial \ln e}{\partial \ln p_e} = -(1-\nu)^{-1} \end{split}$$

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With these functional forms

$$f_{cd} > 0 \iff \epsilon < (1-\nu)^{-1}.$$

$$q = g(l, e) = l^{1-\nu} e^{\nu}$$
$$e = h(e_d, e_c) = \left(\omega e_d^{\frac{\epsilon-1}{\epsilon}} + (1-\omega) e_c^{\frac{\epsilon-1}{\epsilon}}\right)^{\frac{\epsilon}{\epsilon-1}}$$
$$\Rightarrow q = f(l, e_d, e_c) = g(l, h(e_d, e_c)).$$

With these functional forms:

$$\frac{d\ln e_d}{d\ln(p_c+\tau_c)} = \left(\epsilon - (1-\nu)^{-1}\right) \frac{(p_c+\tau_c)e_c}{(p_c+\tau_c)e_c + p_d e_d}.$$

- Energy mix:  $\epsilon$  determines  $\Delta(e_d/e)$
- Energy use:  $\nu$  determines  $\Delta e$

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#### Use nested CES-in-CD to match results to data

- $\nu$  measured from national accounts: 4%-8%
  - Hassler et al (2021); Casey (forthcoming)
- Cutoff value for  $\epsilon$  : 1.04 1.09.
- Standard value of  $\epsilon = 0.95 \Rightarrow \tau_c^* > 0$ 
  - Meta-study by Stern (2012)
  - Used in Golosov et al (2014); Hassler et al (2016, 2018)
  - Close to cutoff  $\Rightarrow \frac{de_d}{d\tau_c}$  is small
- Alternate value of  $\epsilon$  is  $\approx 2 \Rightarrow \tau_c^* < 0$ 
  - Papageorgiou et al (2017)
  - Electricity sector + average of other sectors
  - Acemoglu et al (2023) summarize as  $\epsilon = 1.85$
  - How close to cutoff?

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  - How close to cutoff?
- Key results:
  - Standard parameters imply detrimental impacts of subsidies
  - Reasonable parameter values reverse sign of impact signs
  - Either way, impacts likely to be small



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## Aggregate climate-economy model of US economy

- Simple model intuition hold in dynamic setting?
- Emissions & welfare impacts of subsidies in Inflation Reduction Act?
  - Compare to no policy
- Constrained-efficient subsidy? Compare to ...
  - No policy
  - IRA
  - Dirty energy tax

#### Model equations: production

$$Y_t = K_{y,t}^{\alpha} E_{y,t}^{\nu} \left(A_{y,t} L_{y,t}\right)^{1-\alpha-\nu}$$

$$E_t = \left(\omega^{\frac{1}{\epsilon}} Z_{d,t}^{\frac{\epsilon-1}{\epsilon}} + (1-\omega)^{\frac{1}{\epsilon}} Z_{c,t}^{\frac{\epsilon-1}{\epsilon}}\right)^{\frac{\epsilon}{\epsilon-1}}$$

$$Z_{j,t} = K_{j,t}^{\alpha} E_{j,t}^{\nu} (A_{j,t} L_{j,t})^{1-\alpha-\nu}, \quad j = c, d$$

$$A_{j,t+1} = (1+g_j) A_{j,t}, \quad j = y, c, d$$

- 10-year periods
- Symmetric productions functions for easy solution method
- Capital in energy production (differs from GHKT)
- Parameters:

$$\epsilon \in \{0.95, 1.85\}, \ \nu = 0.08, \ \alpha = 0.27, \ \omega = 0.60, \ g_j = 2\%/{\rm year}$$

#### Model equations: utility

$$U = \sum_{t=0}^{\infty} \beta^t \left( L_t \ln(C_t) - m \sum_{v=0}^t \eta_v Z_{d,v} \right)$$
$$\eta_t = (1 + g_\eta) \eta_{t-1}$$
$$C_t + K_{t+1} = w_t L_t + (1 + r_t - \delta) K_t$$

- Linear utility similar to GHKT (2014), but with endogenous savings
- Linear utility  $\rightarrow$  ignore earlier/ROW emissions
- SCC  $\times$  2020 emission = 4% of GDP (Rennert et al, 2020)
- Parameters:  $g_\eta = -2.3\%/{
  m year}$ , m = 0.60,  $\beta = 0.77$ ,  $\delta = 6.0\%/{
  m year}$

$$K_{t} = K_{y,t} + K_{d,t} + K_{c,t}$$
$$L_{t} = L_{y,t} + L_{d,t} + L_{c,t}$$
$$K_{t+1} = Y_{t} - C_{t} + (1 - \delta)K_{t}$$
$$L_{t+1} = (1 + n)L_{t}.$$

• Parameter: n = 1.1%/year.

#### Overall, fairly 'off-the-shelf' macro model

#### Inflation Reduction Act

- Need to ignore nuances. Goal is order of magnitude and sign.
- Model everything as a 20% production tax credit
  - $0.80p_{c,t}$  paid by energy service producer
  - Lump sum taxes and transfers
- Bistline et al (forthcoming): IRA will lower the prices of utility-scale solar, onshore wind and offshore wind by 20%, 12%, and 23%, respectively
- Announced and implemented in 2030. Permanent.
- Compare to baseline where economy remains on no-policy BGP

#### IRA impacts with $\epsilon=0.95$



- Effects on dirty energy small, because close to  $\epsilon = (1 \nu)^{-1}$ .
- $\uparrow$  dirty energy +  $\downarrow$  consumption  $\Rightarrow \downarrow$  welfare (0.15% CEV).

#### IRA impacts with $\epsilon = 1.85$



- $\epsilon > (1 \nu)^{-1} \Rightarrow \text{emissions} \downarrow 6.5\%$
- Welfare increase by 0.02% CEV

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#### Constrained-efficient subsidies

- Emissions & welfare impacts of IRA are small, possibly detrimental
- Poor choice of subsidy level or ineffective instrument?
- What is the best we can do with subsidies?
- Use  $\epsilon = 1.85$
- Find constrained-efficiency subsidy
  - Compare to no policy, IRA, dirty energy tax
  - Check grid: 80%, 79%, ...

#### Constrained-efficiency subsidy is 12% (vs 20% in IRA)



• Emissions  $\downarrow 4\%$ 

• Welfare  $\uparrow$  0.06% CEV (vs no policy)

- Clean subsidies have small welfare impact
  - Just low climate damages?
  - Benefit relative to carbon pricing?
- Compare best subsidy to best tax
  - $\epsilon = 1.85$
- Similar constraints: constant tax on dirty energy
  - Check grid: 0%, 1%, …

#### Constrained-efficient dirty energy tax is 49%



- Qualitatively different energy and macro dynamics
- Dirty energy  $\downarrow 45\%$
- Welfare  $\uparrow$  0.7% CEV (vs no policy)

#### Comparison to engineering models

- Bistline et al (2023, forthcoming): REGEN suggest IRA reduces emissions by  $\approx 11\%$  relative to no policy.
- Possible to read this as supporting  $\epsilon > 1.85$
- But, another important difference: treatment of energy demand.
  - Partially-exogenous in REGEN
  - $\blacktriangleright$   $\Rightarrow$  overstates emissions reductions



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Conclusion: climate policy when can't affect dirty energy prices

- Best subsidy = indirect externality
- Are clean and dirty substitutes or complements?
- Complements at standard parameter values  $\Rightarrow$  subsidies increase emissions
  - but EoS highly uncertain
- Even with a high elasticity:
  - limited impact of IRA on emissions
  - dirty energy tax much more effective than best subsidy

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Standard macro climate-economy models: big return to moving to carbon pricing Conclusion: climate policy when can't affect dirty energy prices

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Standard macro climate-economy models: big return to moving to carbon pricing

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#### What determines $\epsilon$ ?

In general, macro elasticities depend on:

- Average of sector-level elasticities
- Heterogeneity between sector-level elasticities
- Substitution between sectors

For clean-dirty EoS:

- Elasticity within electric power sector
- Average ease of electrification within end-use sectors
- Substitution between end-use sectors

## What is a plausible elasticity?

$$e = \left(\omega^{\frac{1}{\epsilon}} e_d^{\frac{\epsilon-1}{\epsilon}} + (1-\omega)^{\frac{1}{\epsilon}} e_c^{\frac{\epsilon-1}{\epsilon}}\right)^{\frac{\epsilon}{\epsilon-1}}$$

$$\ln \frac{s_d}{1 - s_d} = \text{constant} + (\epsilon - 1) \ln \frac{p_c}{p_d},$$

where

$$s_{d,t} := \frac{p_d e_d}{p_e e}.$$

#### Dirty share fairly constant despite rising price



With constant  $p_c$ , trend implies  $\epsilon = 1.05$ 

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Clean Energy Subsidies

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#### Short-run elasticity appears even lower



Source: Casey and Gao (2023)

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