

# Coordinating Business Cycles

Edouard Schaal  
New York University

Mathieu Taschereau-Dumouchel  
University of Pennsylvania  
Wharton School

Multiple Equilibria and Financial Crises Conference  
May 2015

## Motivation

---

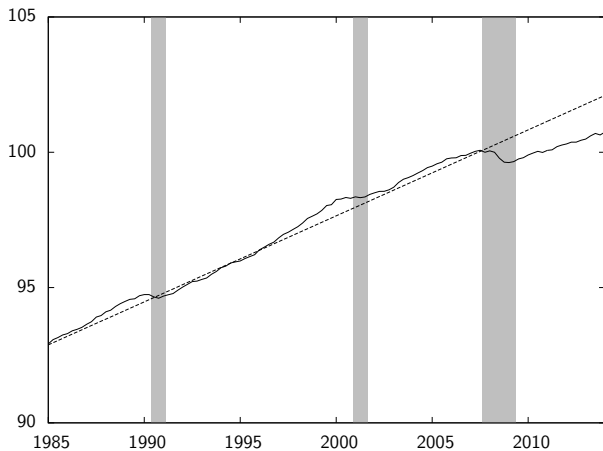


Figure : US real GDP (log) and linear trend (2007Q4 = 100)

## Motivation

---

- Postwar US business cycles:
  - ▶ Strong tendency to revert back to trend
  - ▶ 2007-09 recession: the economy seems to have fallen to a lower steady state
- We propose an explanation based on **coordination failures**
  - ▶ When complementarities are strong, can model the economy as a coordination game with multiple equilibria
    - Diamond (1982); Kiyotaki (1988); Benhabib and Farmer (1994);...
  - ▶ Hypothesis: the economy is trapped in a low output equilibrium as agents fail to coordinate on higher production/demand

## Our Contribution \_\_\_\_\_

- We develop a model of **coordination failures** and **business cycles**
- We respond to two key challenges in this literature:
  - ▶ **Quantitative**
    - Typical models are too stylized/unrealistic
    - ⇒ Our model is a small deviation from standard neoclassical model with monopolistic competition
  - ▶ **Methodological**
    - Equilibrium indeterminacy limits welfare/quantitative analysis
    - ⇒ We adopt a global game approach to discipline equilibrium selection
- The model can be used as a benchmark for quantitative and policy analysis

## Our Contribution \_\_\_\_\_

- We develop a model of **coordination failures** and **business cycles**
- We respond to two key challenges in this literature:
  - ▶ **Quantitative**
    - Typical models are too stylized/unrealistic
    - ⇒ Our model is a small deviation from standard neoclassical model with monopolistic competition
  - ▶ **Methodological**
    - Equilibrium indeterminacy limits welfare/quantitative analysis
    - ⇒ We adopt a global game approach to discipline equilibrium selection
- The model can be used as a benchmark for quantitative and policy analysis

## Our Contribution \_\_\_\_\_

- We develop a model of **coordination failures** and **business cycles**
- We respond to two key challenges in this literature:
  - ▶ **Quantitative**
    - Typical models are too stylized/unrealistic
    - ⇒ Our model is a small deviation from standard neoclassical model with monopolistic competition
  - ▶ **Methodological**
    - Equilibrium indeterminacy limits welfare/quantitative analysis
    - ⇒ We adopt a global game approach to discipline equilibrium selection
- The model can be used as a benchmark for quantitative and policy analysis

- Standard neoclassical model with:
  - ▶ **Monopolistic competition**
    - Aggregate demand externality provides a motive to coordinate
  - ▶ **Non-convex capacity choice** ▶ Evidence
    - Breaks concavity of firm's problem, locally increasing returns
    - Large evidence for investment, labor but also shifts/production lines
    - We capture these non-convexities in the simplest way

$$u_t \in \{u_h > u_j\}$$

- Multiplicity?
  - ▶ Multiplicity for relevant parameters under complete information,
  - ▶ Uniqueness everywhere under incomplete information (*global game*)

## Main Results

---

- Dynamics
  - ▶ Multiple steady states in the multiplicity region
  - ▶ Deep recessions: the economy can fall in a *coordination trap* where coordination on high steady state is difficult
  - ▶ Quantitatively consistent with various features of the recovery from 2007-2009 recession
- Policy
  - ▶ Fiscal policy in general welfare reducing as coordination problem magnifies crowding out
  - ▶ But sometimes increases welfare by helping coordination close to a transition
  - ▶ Optimal policy is a mix of input and profit subsidies



## I. Model: Complete Information Case

- Infinitely-lived representative household that solves

$$\max_{C_t, L_t, K_{t+1}} \mathbb{E} \sum_{t=0}^{\infty} \beta^t \left[ \frac{1}{1-\gamma} \left( C_t - \frac{L_t^{1+\nu}}{1+\nu} \right)^{1-\gamma} \right], \gamma \geq 0, \nu \geq 0$$

under the budget constraints

$$P_t (C_t + K_{t+1} - (1 - \delta) K_t) \leq W_t L_t + R_t K_t + \Pi_t$$

## Production

---

- Two types of goods:
  - ▶ Final good used for consumption and investment
  - ▶ Differentiated goods  $j \in [0, 1]$  used in production of final good
- Competitive final good industry with representative firm

$$Y_t = \left( \int_0^1 Y_{jt}^{\frac{\sigma-1}{\sigma}} dj \right)^{\frac{\sigma}{\sigma-1}}, \sigma > 1$$

yielding demand curve and price index

$$Y_{jt} = \left( \frac{P_{jt}}{P_t} \right)^{-\sigma} Y_t \quad \text{and} \quad P_t = \left( \int_0^1 P_{jt}^{1-\sigma} dj \right)^{\frac{1}{1-\sigma}}$$

and we normalize  $P_t = 1$

## Intermediate Producers

---

- Unit continuum of intermediate goods producer under monopolistic competition

$$Y_{jt} = A e^{\theta} u_{jt} K_{jt}^{\alpha} L_{jt}^{1-\alpha}$$

- Aggregate productivity  $\theta$  follows an AR(1)

$$\theta_t = \rho \theta_{t-1} + \varepsilon_t^{\theta}, \quad \varepsilon_t^{\theta} \sim \text{iid } \mathcal{N}(0, \gamma_{\theta}^{-1})$$

- Capacity utilization  $u_{jt}$

- ▶ Binary decision  $u_{jt} \in \{1, \omega\}$  with  $\omega > 1$
- ▶ Operating at high capacity  $\omega$  costs  $f$
- ▶ Acts as a TFP shifter:

$$A_h(\theta_t) \equiv \omega A e^{\theta_t} > A e^{\theta_t} \equiv A_l(\theta_t)$$

## Equilibrium Definition

---

### Definition

An equilibrium is policies for the household  $\{C_t(\theta^t), K_{t+1}(\theta^t), L_t(\theta^t)\}$ , policies for firms  $\{Y_{jt}(\theta^t), K_{jt}(\theta^t), L_{jt}(\theta^t)\}, j \in \{h, l\}$ , a measure  $m_t(\theta^t)$  of high capacity firms, prices  $\{R_t(\theta^t), W_t(\theta^t)\}$  such that

- Household and firms solve their problems, markets clear,
- Mass of firms with high capacity is consistent with firms' decisions

$$m_t(\theta^t) \equiv \begin{cases} 1 & \text{if } \Pi_{ht} - f > \Pi_{lt} \\ \in (0, 1) & \text{if } \Pi_{ht} - f = \Pi_{lt} \\ 0 & \text{if } \Pi_{ht} - f < \Pi_{lt} \end{cases}$$

## Characterization

- The intermediate producer faces a simple static problem
- Producers face a positive aggregate demand externality

$$\Pi_{jt} = P_t Y_t^{\frac{1}{\sigma}} Y_{jt}^{\frac{\sigma-1}{\sigma}} - W_t L_{jt} - R_t K_{jt}$$

where  $\sigma$  determines the strength of externality

- In partial equilibrium, the capacity choice collapses to

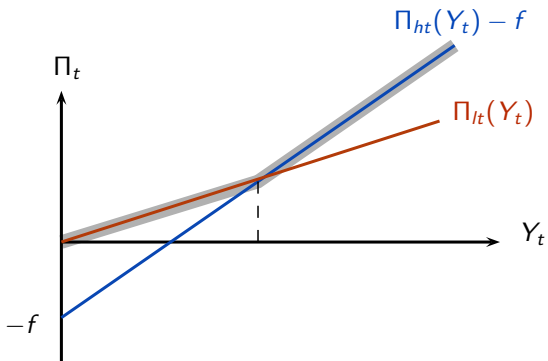
$$\Pi = \max \left[ \frac{1}{\sigma} \frac{Y_t}{P_{ht}^{\sigma-1}} - f, \frac{1}{\sigma} \frac{Y_t}{P_{lt}^{\sigma-1}} \right]$$

with the cost of a marginal unit of output

$$P_{jt} = \frac{\sigma}{\sigma - 1} MC_{jt} \quad \text{and} \quad MC_{jt} \equiv \frac{1}{A_{jt}(\theta)} \left( \frac{R_t}{\alpha} \right)^\alpha \left( \frac{W_t}{1 - \alpha} \right)^{1-\alpha}$$

## Characterization \_\_\_\_\_

- Incentives to use high capacity increase with aggregate demand  $Y_t$



- Under GHH preferences,
  - ▶ Labor supply curve independent of  $C$ ,
  - ▶ Production side of the economy can be solved independently of consumption-saving decision!
- We thus proceed in **two steps**:
  - ▶ First, study *static* equilibrium (production and capacity choice)
  - ▶ Then, return to the *dynamic* economy ( $C$  and  $K'$  decisions)



- Simple aggregate production function:

$$Y_t = \bar{A}(\theta_t, m_t) K_t^\alpha L_t^{1-\alpha}$$

$$L_t = \left[ (1 - \alpha) \frac{\sigma - 1}{\sigma} \bar{A}(\theta_t, m_t) K_t^\alpha \right]^{\frac{1}{\nu + \alpha}}$$

- *Endogenous* TFP:

$$\bar{A}(\theta, m) = \left( mA_h(\theta)^{\sigma-1} + (1 - m) A_l(\theta)^{\sigma-1} \right)^{\frac{1}{\sigma-1}}$$

- Simple aggregate production function:

$$Y_t = \bar{A}(\theta_t, m_t) K_t^\alpha L_t^{1-\alpha}$$

$$L_t = \left[ (1 - \alpha) \frac{\sigma - 1}{\sigma} \bar{A}(\theta_t, m_t) K_t^\alpha \right]^{\frac{1}{\nu + \alpha}}$$

- *Endogenous* TFP:

$$\bar{A}(\theta, m) = \left( mA_h(\theta)^{\sigma-1} + (1 - m) A_l(\theta)^{\sigma-1} \right)^{\frac{1}{\sigma-1}}$$

- Simple aggregate production function:

$$Y_t = \bar{A}(\theta_t, m_t) K_t^\alpha L_t^{1-\alpha}$$

$$L_t = \left[ (1 - \alpha) \frac{\sigma - 1}{\sigma} \bar{A}(\theta_t, m_t) K_t^\alpha \right]^{\frac{1}{\nu + \alpha}}$$

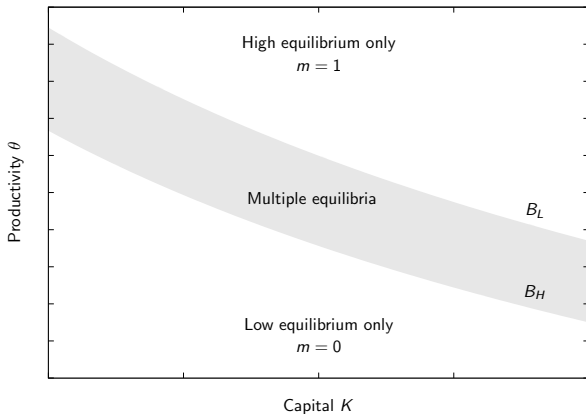
- *Endogenous* TFP:

$$\bar{A}(\theta, m) = \left( mA_h(\theta)^{\sigma-1} + (1 - m) A_l(\theta)^{\sigma-1} \right)^{\frac{1}{\sigma-1}}$$

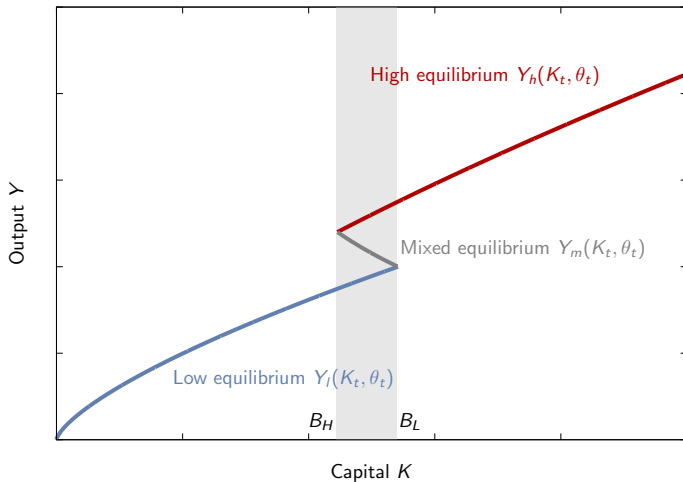
## Static Equilibrium: Multiplicity

### Proposition 1

Suppose that  $\frac{1+\nu}{\alpha+\nu} > \sigma - 1$ , then there exists cutoffs  $B_H < B_L$  such that there are multiple static equilibria for  $B_H \leq e^\theta K^\alpha \leq B_L$ .



## Static Equilibrium: Multiplicity



► Multiplicity vs. Uniqueness

Is the static equilibrium efficient?

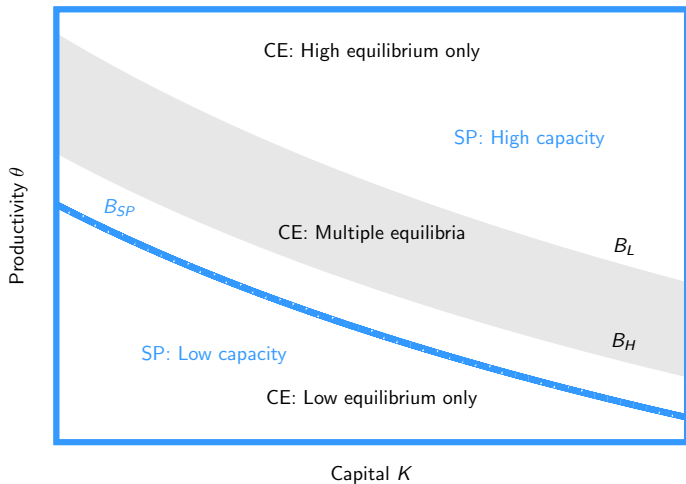
### Proposition 2

For  $\frac{1+\nu}{\alpha+\nu} > \sigma - 1$ , there exists a threshold  $B_{SP} < B_L$  such that

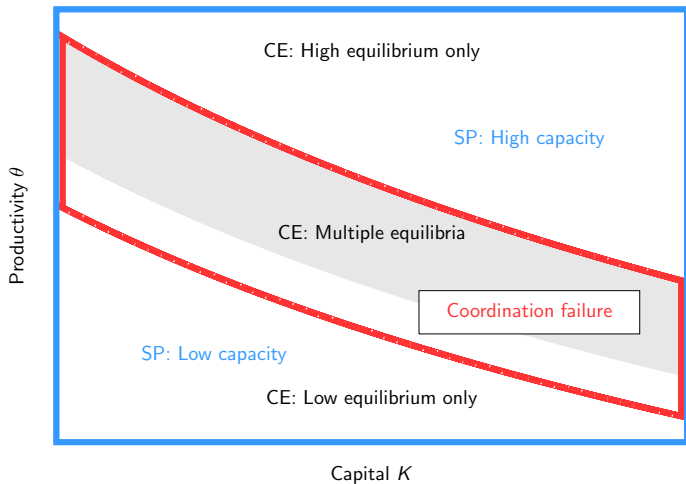
- For  $e^\theta K^\alpha \leq B_{SP}$ , the planner chooses  $m = 0$ ,
- For  $e^\theta K^\alpha \geq B_{SP}$ , the planner chooses  $m = 1$ .

In addition, for  $\sigma$  low enough,  $B_{SP} < B_H$ .

## Static Equilibrium: Efficiency



# Static Equilibrium: Coordination Failure





## II. Model: Incomplete Information Case

## Model: Incomplete Information

---

- Model remains the same, except:
  - ▶ Capacity choice is made under uncertainty about current  $\theta_t$
- New **timing**:
  - 1 Beginning of period:  $\theta_t = \rho\theta_{t-1} + \varepsilon_t^\theta$  is drawn
  - 2 Firm  $j$  observes private signal  $v_{jt} = \theta_t + \varepsilon_{jt}^v$  with  $\varepsilon_{jt}^v \sim \text{iid } \mathcal{N}(0, \gamma_v^{-1})$
  - 3 Firms choose their capacity  $u_j \in \{u_l, u_h\}$
  - 4  $\theta_t$  is observed, production takes place,  $C_t$  and  $K_{t+1}$  are chosen

▶ Capacity choice

## Uniqueness of Static Game

### Proposition 3

For  $\gamma_v$  large and if

$$\frac{\sqrt{\gamma_v}}{\gamma_\theta} > \frac{1}{\sqrt{2\pi}} \frac{\omega^{\sigma-1} - 1}{\sigma - 1},$$

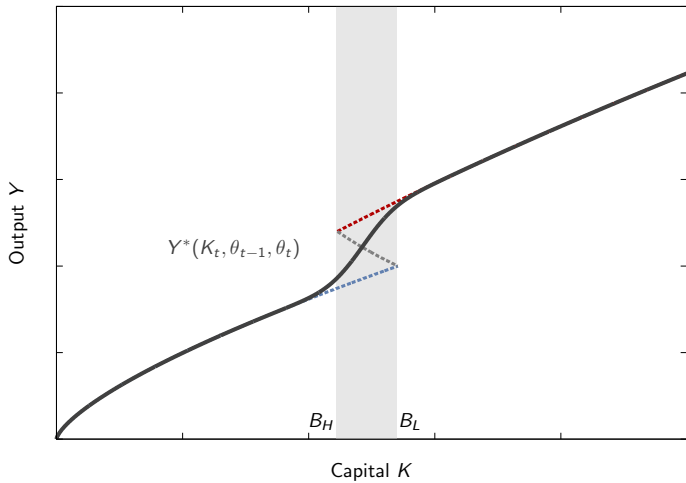
then the equilibrium of the static global game is **unique** and takes the form of a **cutoff rule**  $\hat{v}(K, \theta_{-1}) \in \mathbb{R} \cup \{-\infty, \infty\}$  such that firm  $j$  choose high capacity if and only if  $v_j \geq \hat{v}(K, \theta_{-1})$ . In addition,  $\hat{v}$  is **decreasing** in its arguments.

- **Remark:** the number of firms choosing high capacity is

$$m \equiv 1 - \Phi(\sqrt{\gamma_v}(\hat{v}(K, \theta_{-1}) - \theta))$$

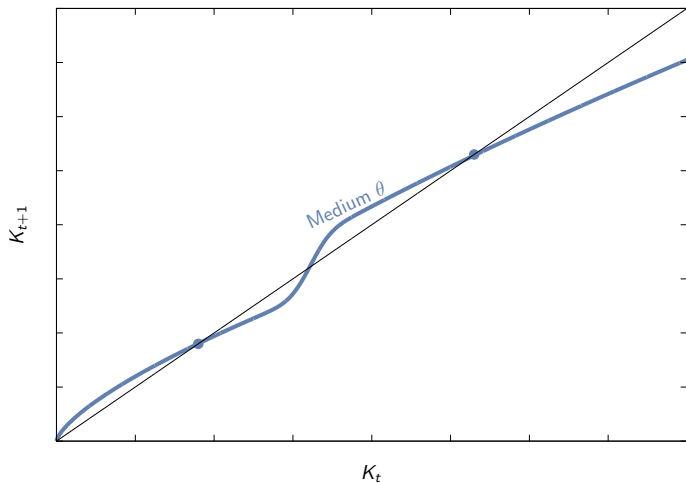
where  $\Phi$  is the CDF of a standard normal

## Uniqueness of Static Game

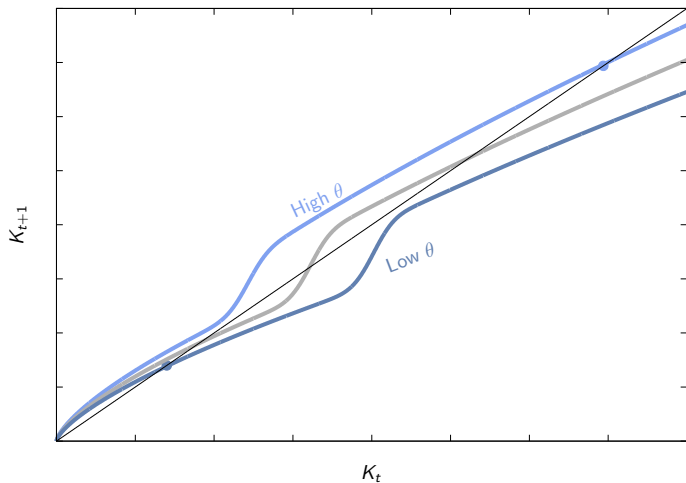


## Dynamics: Multiple Steady States

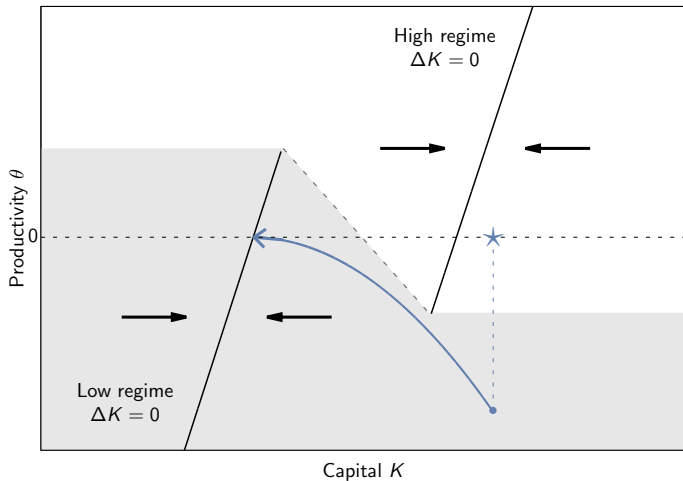
---



## Dynamics: Multiple Steady States



## Dynamics: Phase Diagram



### III. Quantitative Evaluation



## Quantitative Exercise

---

- The model is calibrated in a standard way ▶ Calibration
- We then evaluate the model on the following dimensions:
  - ▶ Business cycle moments: similar performance to standard RBC model ▶ RBC moments
  - ▶ Skewness: outperforms standard models due to existence of large recessions (fat left tail) ▶ Skewness
  - ▶ Impulse responses: secular stagnation, 2007-2009 recession?

## Impulse Responses

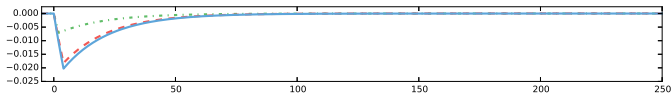
---

- The model dynamics display strong non-linearities
- We hit the economy with negative  $\theta$  shocks:
  - ① Small
  - ② Medium and lasts 4 quarters
  - ③ Large and lasts 4 quarters
- Results:
  - ▶ The response to small shock is similar to standard RBC model
  - ▶ Strong amplification and propagation for larger shocks
  - ▶ Large, long-lasting shocks can push the economy towards low steady state: **coordination trap**

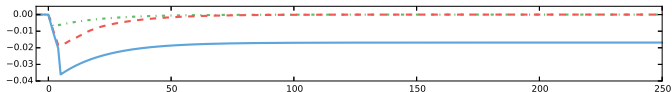
# Impulse Responses

---

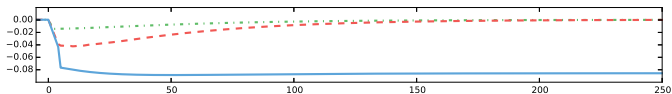
(a)  $\theta$



(b) Endogenous TFP



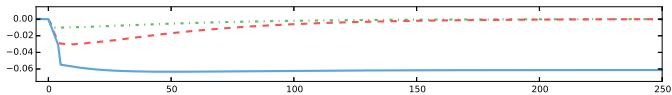
(c) Output



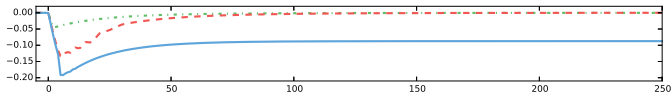
# Impulse Responses

---

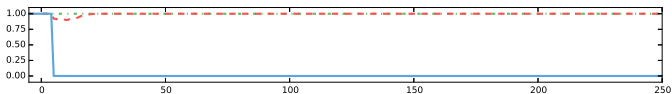
(d) Labor



(e) Investment



(f) Capacity  $m$



## 2007-2009 Recession

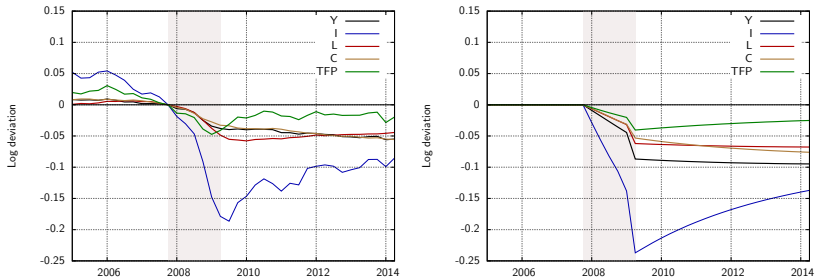


Figure : US series centered on 2007Q4 (left) vs model (right)

► TFP

## IV. Policy Implications

- The competitive economy suffers from two (related) inefficiencies:
  - ① Monopoly distortions on the product market,
    - Correct this margin immediately with input subsidy  $s_{kl}$  that offsets markup  $1 - s_{kl} = \frac{\sigma-1}{\sigma}$ ,
  - ② Inefficient capacity choice due to aggregate demand externality.
- We analyze:
  - ▶ Impact of fiscal policy
  - ▶ Optimal policy and implementation

## Policy: Summary of Results

---

- Fiscal policy:
  - ▶ Government spending is in general **detrimental** to coordination
    - Crowding out effect *magnified* by coordination problem ▶ Crowding
    - This effect dominates in most of the state space
  - ▶ But **negative wealth effect** can overturn this result
    - When preferences allow for wealth effect on labor supply, fiscal policy may be *welfare improving* by helping coordination ▶ Welfare
    - Possibly large multipliers without nominal rigidities ▶ Multiplier
- Optimal policy:
  - ▶ A mix of constant input and profit subsidy implements the constrained efficient allocation ▶ Optimal Policy



## V. Conclusion

## Conclusion

---

- We construct a dynamic stochastic general equilibrium model with coordination failures
  - ▶ Provides a foundation for Keynesian-type effects without nominal rigidities
- The model generates:
  - ▶ Deep recessions: secular stagnation?
  - ▶ Fiscal policy can be welfare improving
- Future agenda:
  - ▶ Quantitative side:
    - Understand the role of firm-level heterogeneity
    - Use micro-data to discipline the non-convexities
  - ▶ Learning, optimal fiscal policy, etc.

## Evidence of Non-Convexities

---

- Typical neoclassical model assumes convex cost functions
  - ▶ Well-defined maximization problem with unique equilibrium
- However, large evidence of non-convexities in cost functions:
  - ▶ Firms adjust output along various margins which differ in lumpiness/adjustment/variable costs
    - Cooper and Haltiwanger (2006): lumpy adjustments in labor and investment,
    - Bresnahan and Ramey (1994): lumpy changes in production at plant-level with plant shutdowns/restart,
    - Hall (1999): non-convexities in shift adjustments across Chrysler assembly plants.

## Evidence of Non-Convexities

- Ramey (JPE 1991) estimates cost functions

- ▶ Example food industry:

$$C_t(Y) = 23.3w_t Y - 7.78^{**} Y^2 + 0.000307^{*} Y^3 + \dots$$

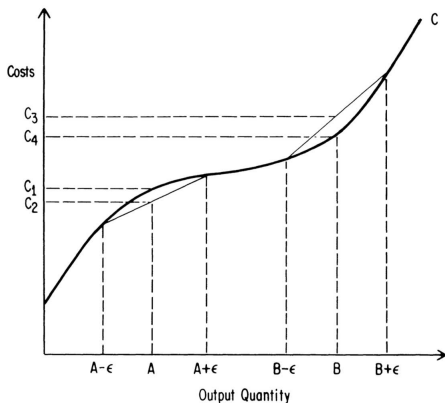


Figure : Non-convex cost curve (Ramey, 1991)

## Static Equilibrium: Multiplicity

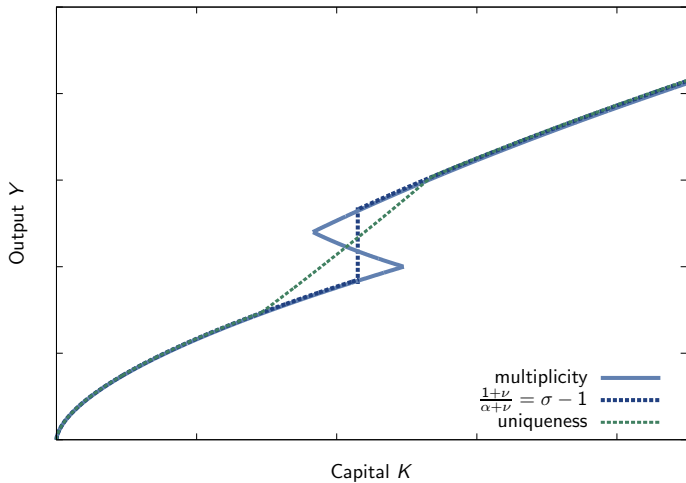
---

- Condition for multiplicity is

$$\frac{1 + \nu}{\alpha + \nu} > \sigma - 1$$

- This condition is more likely to be satisfied if
  - ▶  $\sigma$  is small: high complementarity through demand,
  - ▶  $\nu$  is small: low input competition (sufficiently flexible labor),
  - ▶  $\alpha$  is small: production is intensive in the flexible factor (labor).

# Static Equilibrium: Multiplicity vs. Uniqueness



## Model: Incomplete Information

---

- Firms now solve the following problem:

$$u_j^* = \operatorname{argmax}_{u_j \in \{u_h, u_l\}} \left\{ \mathbb{E} [U_c(C, L) (\Pi_h(K, \theta, m) - f) \mid \theta_{-1}, v_j], \right. \\ \left. \mathbb{E} [U_c(C, L) \Pi_l(K, \theta, m) \mid \theta_{-1}, v_j] \right\}$$

where

- ▶ Expectation term over  $\theta$  and  $m$
- ▶  $m$  is now uncertain and firms must guess what others will choose!

## Uniqueness of Static Game

---

- Condition for uniqueness

$$\frac{\sqrt{\gamma_v}}{\gamma_\theta} > \frac{1}{\sqrt{2\pi}} \frac{\omega^{\sigma-1} - 1}{\sigma - 1}$$

- This condition requires:
  - ① Uncertainty in fundamental  $\theta$  ( $\gamma_\theta$  low),
  - ② High precision in private signals ( $\gamma_v$  high)
    - Ensure that beliefs about fundamental (in  $\gamma_v$ ) dominates feedback from others (in  $\sqrt{\gamma_v}$ )



## Parametrization

---

Standard parameters:

Parameter	Value	Source/Target
Time period	one quarter	
Capital share	$\alpha = 0.3$	Labor share 0.7
Discount factor	$\beta = 0.95^{1/4}$	0.95 annual
Depreciation rate	$\delta = 1 - 0.9^{1/4}$	10% annual
Elasticity of substitution	$\sigma = 3$	Hsieh and Klenow (2014)
Risk aversion	$\gamma = 1$	log utility
Elasticity of labor supply	$\nu = 0.4$	Jaimovich and Rebelo (2009)
Persistence $\theta$ process	$\rho_\theta = 0.95$	Cooley and Prescott (1985)
Stdev of $\theta$	$\sigma_\theta = 0.006$	Stdev output

## Parametrization

---

Three parameters remain:  $\gamma_v$ ,  $\omega$  and  $f$

- Precision of private information  $\gamma_v$ :
  - ▶ Target dispersion in forecasts about GDP growth from SPF
  - ▶ One quarter ahead:  $\gamma_v = 124, 232 \simeq 0.2\%$  stdev
- Capacity utilization ratio  $\omega = \frac{u_h}{u_l}$ :
  - ▶ Match pre-2008/post-2010 averages  $\simeq 1.017$
- Fixed cost  $f$ :
  - ▶ Chosen to match the tail probability of large crises in SPF (growth  $\leq -4\%$ ),
  - ▶ Set  $f = 0.019$  of GDP

## Business Cycle Moments \_\_\_\_\_

### Correlation with output

Correlation with output	Output	Investment	Hours	Consumption
Data	1.00	0.87	0.86	0.94
Full model	1.00	0.89	1.00	0.99
RBC ( $f = 0, \sigma \rightarrow \infty$ )	1.00	0.96	1.00	0.99

Table : Correlation with output

- Again, similar performance to a standard RBC model

◀ Return

## Skewness \_\_\_\_\_

- The model does well for skewness and asymmetry of business cycles:

Skewness	Output	Investment	Hours	Consumption
Data	-0.59	-0.31	-0.35	-0.44
Full model	-0.16	-0.14	-0.16	-0.14
RBC ( $f = 0, \sigma \rightarrow \infty$ )	0.00	-0.01	0.00	0.01

Table : Skewness

◀ Return

## Skewness and Fat Tail

---

- The negative skewness is due to ability to generate deep recessions:

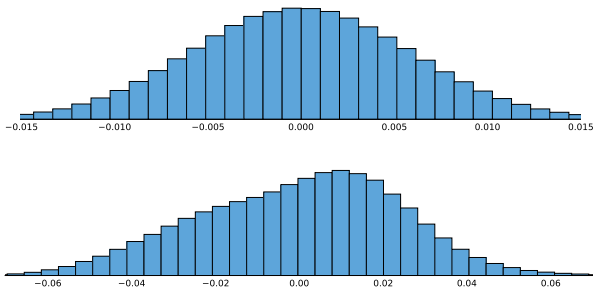


Figure : Ergodic distribution of  $\theta$  (top) vs. output (bottom)

## Skewness and Fat Tail

---

- Histogram of output in the data:

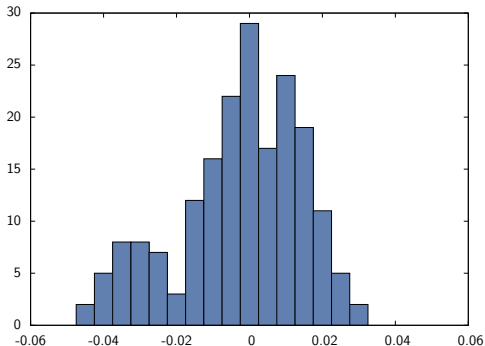


Figure : Distribution of log real GDP (1967-2014, linear trend)

## Business Cycle Moments \_\_\_\_\_

### Standard deviations

Stddev Rel. to Output	Output	Investment	Hours	Consumption
Data	1.00	3.27	1.46	0.94
Full model	1.00	2.06	0.72	0.88
RBC ( $f = 0, \sigma \rightarrow \infty$ )	1.00	1.72	0.71	0.84

Table : Standard deviation relative to that of Output

- The full model behaves similarly to a standard RBC model

◀ Return

## Solution of the Model

Figure 5: Measures of Total Factor Productivity (TFP): 2001 to 2013

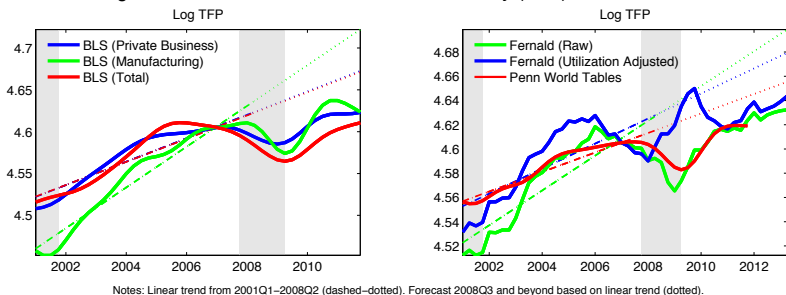
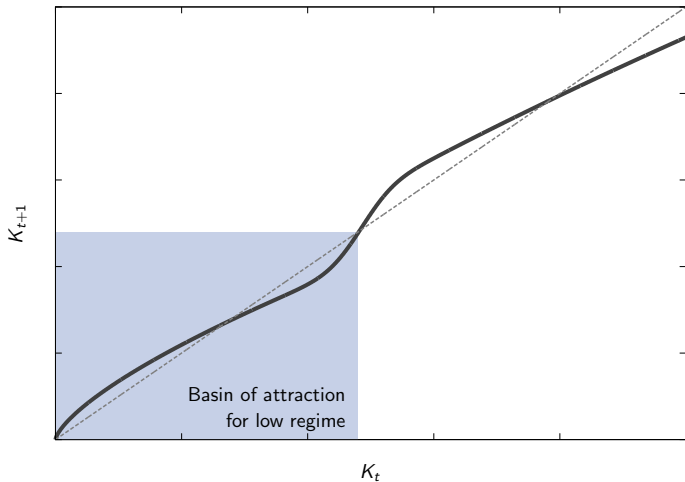


Figure : Various measures of TFP (source: Christiano, Eichenbaum and Trabandt, 2014)



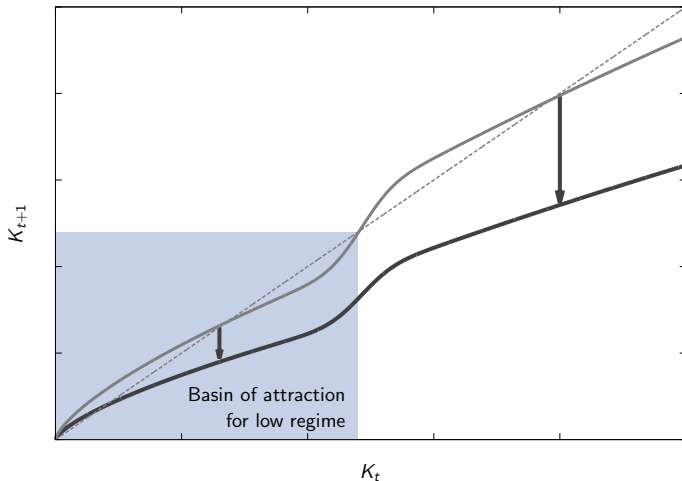
## Fiscal Policy: Crowding Out

- Crowding out:



## Fiscal Policy: Crowding Out \_\_\_\_\_

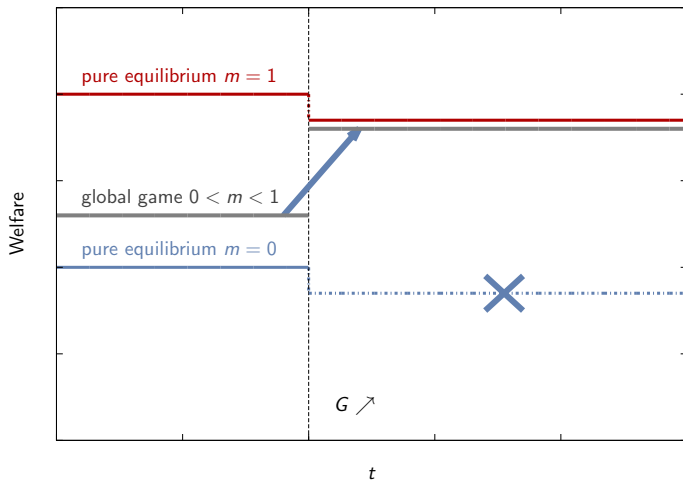
- **Crowding out:** decline in investment



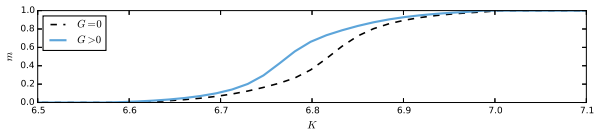
- Coordination is **worsened** by crowding out:
  - ▶ Capital  $K$  plays a crucial role for coordination,
  - ▶ By crowding out private investment, government spending makes coordination on high regime less likely in the future!
  - ▶ Large dynamic welfare losses
- **Result:** Under GHH preferences,
  - ▶ For  $\gamma_v$  large, firms' choice of  $m$  unaffected by  $G$ ,
  - ▶ Government spending is *always* welfare reducing

## Fiscal Policy: Wealth Effect \_\_\_\_\_

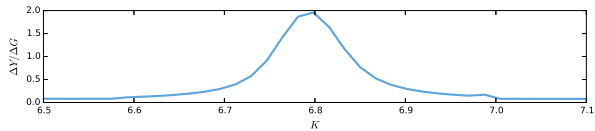
- How can a negative wealth effect be welfare improving?



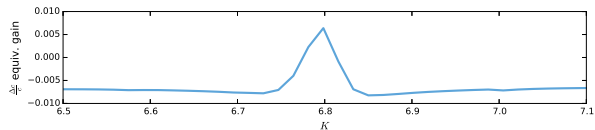
(a) Impact of  $G$  on capacity choice  $m$



(b) Fiscal multiplier



(c) Welfare gains in consumption equivalent



## Optimal Policy ---

- We study a constrained planner with same information as outside observer:
  - ▶ At the beginning of period, only knows  $\theta_{-1}$
  - ▶ Does not observe firms' private signals

## Constrained Planner Problem

---

- The planner chooses a probability to choose high capacity  $z(v_j)$  for all signals  $v_j$

$$V(K, \theta_{-1}) = \max_{z, C, L, K'} \mathbb{E}_\theta \left[ \frac{1}{1-\gamma} \left( C - \frac{L^{1+\nu}}{1+\nu} \right)^{1-\gamma} + \beta V(K', \theta) \right]$$

subject to

$$C + K' = \bar{A}(\theta, m) K^\alpha L^{1-\alpha} + (1-\delta)K - mf$$

$$m(\theta) = \int \sqrt{\gamma_v} \phi(\sqrt{\gamma_v}(v - \theta)) z(v) dv$$

$$\bar{A}(\theta, m) = \left( mA_h(\theta)^{\sigma-1} + (1-m)A_l(\theta)^{\sigma-1} \right)^{\frac{1}{\sigma-1}}$$

### Proposition 4

*The competitive equilibrium with imperfect information is inefficient, but the efficient allocation can be implemented with:*

- ① *An input subsidy  $1 - s_{kl} = \frac{\sigma-1}{\sigma}$  to correct for monopoly distortions,*
- ② *A profit subsidy  $1 + s_{\pi} = \frac{\sigma}{\sigma-1}$  to induce the right capacity choice.*

- **Remark:**

- ▶ The profit subsidy is just enough to make firms internalize the impact of their capacity decision on others



## Calibration Government Spending

- Utility function:  $U(C, L) = \log C - (1 + \nu)^{-1} L^{1+\nu}$

Parameter	Value	Source/Target
Time period	one quarter	
Capital share	$\alpha = 0.3$	Labor share 0.7
Discount factor	$\beta = 0.95^{1/4}$	0.95 annual
Depreciation rate	$\delta = 1 - 0.9^{1/4}$	10% annual
Elasticity of substitution	$\sigma = 3$	Hsieh and Klenow (2014)
Risk aversion	$\gamma = 1$	log utility
Elasticity of labor supply	$\nu = 0.4$	Jaimovich and Rebelo (2009)
Persistence $\theta$ process	$\rho_\theta = 0.95$	Cooley and Prescott (1985)
Stdev of $\theta$	$\sigma_\theta = 0.006$	Stdev output
Fixed cost	$f = 0.01485$	
High capacity	$\omega = 1.017$	
Government spending	$G = 0.00665$	0.5% of steady-state output